

# **Robotics: Introduction to perception**

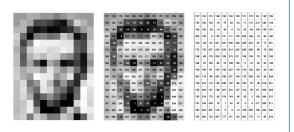
Vladimír Petrík

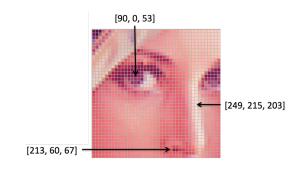
vladimir.petrik@cvut.cz

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### What is image?

- Camera connected to computer produces images
- ► Image is array of numbers¹

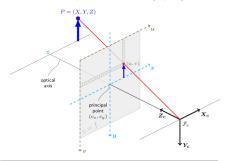


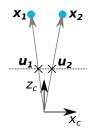


<sup>&</sup>lt;sup>1</sup>Images are from: https://ai.stanford.edu/~syyeung/cvweb/tutorial1.html

### How is the image formed?

- Perspective camera
  - pinhole camera model<sup>2</sup>
  - $lackbox{ projects spatial point } oldsymbol{x}_c \text{ into image point } oldsymbol{u} = egin{pmatrix} u & v \end{pmatrix}^ op \text{ by intersecting}$ 
    - image plane and
    - ightharpoonup the line connecting  $oldsymbol{x}_c$  with the projection center
  - all points on a ray project to the same pixel





<sup>&</sup>lt;sup>2</sup>docs.opencv.org



# Projection of pinhole camera

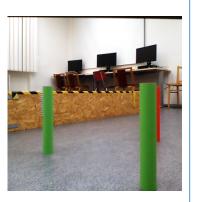
- $\mathbf{u}_H = K \mathbf{x}_c$ 
  - $lackbox{m u}_H$  is pixel in homogeneous coordinates
  - $lackbox{lack}$  if  $oldsymbol{u}_H = egin{pmatrix} u_H & v_H & w_H \end{pmatrix}^ op$ , then pixel coordinates are  $egin{pmatrix} u_H/w_H & v_H/w_H \end{pmatrix}^ op$
  - lacktriangle alternatively, we can represent it as:  $\lambda \left(u,v,1\right)^{ op}=Koldsymbol{x}_c$
- ▶ *K* is camera matrix

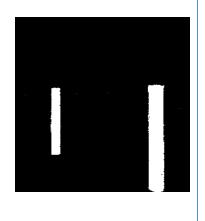
$$K = \begin{pmatrix} f_x & 0 & c_x \\ 0 & f_y & c_y \\ 0 & 0 & 1 \end{pmatrix}$$

- $\blacktriangleright$  what does  $\lambda$  represent?
  - $\triangleright \lambda$  is non-zero real number
  - lacktriangle if you know  $\lambda$  value, you can compute Cartesian coordinate  $oldsymbol{x}=\lambda K^{-1}oldsymbol{u}$
  - otherwise, only ray is computable
- how to find K from points?

# What we can study on images?

- Segmentation masks (where are the objects of interest)
- Objects classification (labeling)



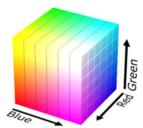


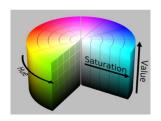


# Segmentation masks - color thresholding

- Thresholding
  - ▶ RGB pixel values for coordinates u:  $I_{RGB}(u)$
  - $M(\boldsymbol{u}) = 1$ , if  $I_{\mathsf{RGB}}(\boldsymbol{u}) = \begin{pmatrix} 0 & 255 & 0 \end{pmatrix}^{\top}$ ?
  - M(u) = 1, if  $\tau_l < I_{\mathsf{RGB}}(u) < \tau_u$ , for all channels
  - M(u) = 1, if  $\varphi_l < I_{\mathsf{HSV}}(u) < \varphi_u$ , for all channels
- Post-processing
  - compute connected components
  - remove small or deformed segments
  - assign label based on thresholds







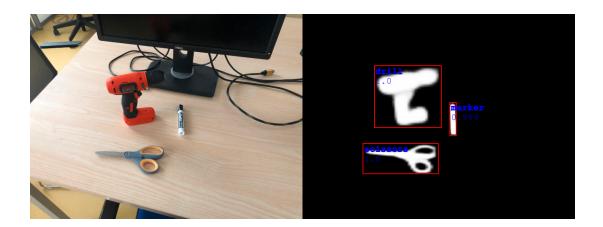
### Segmentation masks for known 3D objects

- ► Neural Network (e.g. Mask R-CNN)
- ► Training inputs:
  - dataset of images, masks and labels, or
  - dataset of known 3D objects (meshes)
  - quality depends on the training data (augumentations)
- Inference:
  - Input: image
  - Output: segmentation mask, bounding box, label, and confidence

#### Mask R-CNN results



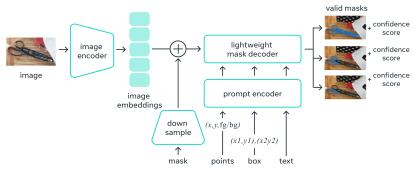
#### Mask R-CNN results



# Segmentation masks without re-training

- Segment Anything Model (SAM)
  - segment any object, in any image, with a single click
  - dataset of 10M images, 1B masks

#### Universal segmentation model



#### **SAM** results





### **SAM** results





### SAMv2



### **Segmentation**

- Segmentation finds objects in image
  - segmentation mask
  - bounding box
  - ► label
  - confidence score
- ► Information only in image space
- How to use it in robot space?

#### External camera

- ► Assume camera mounted rigidly to the reference frame
  - if we know K and  $T_{RC}$ , how to project points  $x_R$  to image?
- ▶ Unknown K and  $T_{RC}$  and planar problem
  - e.g. cubes with the same high on table desk
  - what is the position of cube on 2D table w.r.t. 2D image/pixels coordinates?
  - analyzed by homography

### **Homography**

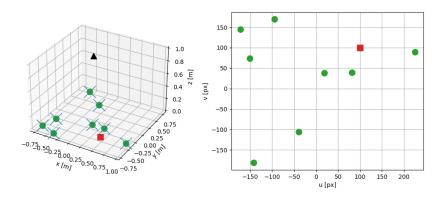
- lacktriangle Homography matrix H is  $3 \times 3$  matrix that maps points from one plane to another
  - image plane to table desk
  - one image plane to another image plane (different view)
- $ightharpoonup s (x \ y \ 1)^{\top} = H (u \ v \ 1)^{\top}$ 
  - ightharpoonup x, y are coordinates in the first plane
  - $lackbox{}{} u,v$  are coordinates in the second plane
- ▶ 9 elements but only 8 DoF, usually added constraint  $h_{33} = 1$
- ► How to find H?
  - ► H, \_ = cv2.findHomography(U, X)
  - ightharpoonup U, X are  $N \times 2$  correspondence points
  - e.g. measure manually
    - position of cube center w.r.t. table corner
    - position of cube center in image



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# **Homography example**

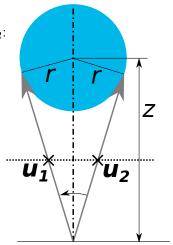


### Non-planar pose estimation

- Homography maps only plane to plane
- ▶ More general object pose estimation in camera frame
  - get depth by mapping from area in pixels to depth for fixed size objects
  - ▶ get depth by additional scene information, e.g. known size/model of the objects
  - ► RGBD camera
  - additional markers

# Using prior knowledge about size

- We know radius is fixed
- From detected pixels  $u_1, u_2$ , we can compute rays  $x_1, x_2$ :  $\frac{1}{\lambda_i} x_i = K^{-1} u_i$
- Angle between vectors:  $\cos \alpha = \frac{\frac{1}{\lambda_1 \lambda_2}}{\frac{1}{\lambda_1 \lambda_2}} \frac{x_1 \cdot x_2}{\|x_1\| \|x_2\|}$
- ▶ Depth:  $z = \frac{r}{\sin(\alpha/2)}$



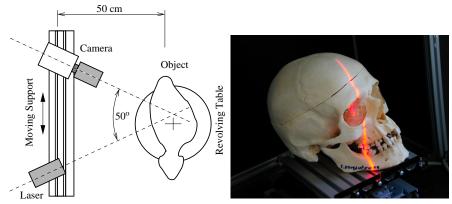
### Using depth sensor

- RGBD sensors
  - ▶ RGB image  $(H \times W \times 3)$
  - ▶ Depth map  $(H \times W \times 1)$ , distance in meters for each pixel
  - lacktriangle Structured point cloud  $(H \times W \times 3)$ ,  $(x_c \quad y_c \quad z_c)$  for each pixel



### How depth sensor works

- ▶ Laser projects pattern and camera recognizes it
- ▶ Depth information is computed using triangulation



### 2D depth sensors

- ► Based on the structured light
- Projects 2D infra red patterns
- One projector and two cameras (RGB + IR)

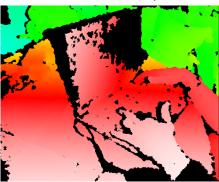




### Issues with depth sensors

- ▶ Depth reconstruction is not perfect (black areas in the image<sup>3</sup>)
- In python represented by NaN
- Not every pixel in RGB has reconstructed depth value
- RGB and Depth data are not aligned (you need to calibrate them)





<sup>3</sup>https://commons.wikimedia.org, User:Kolossos

#### **Additional markers**

- ► Can we compute the pose of patterns<sup>4</sup>?
  - the size and structure needs to be known
  - subpixel accuracy
  - it has to be completely visible
- Can we compute the pose of ArUco markers?
  - less accurate than regular patterns
  - provides marker id and the pose
  - it has to be completely visible





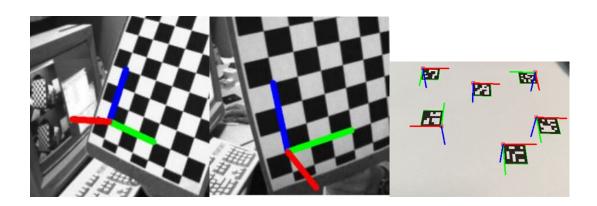


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<sup>4</sup>docs.opencv.org



# Markers pose example

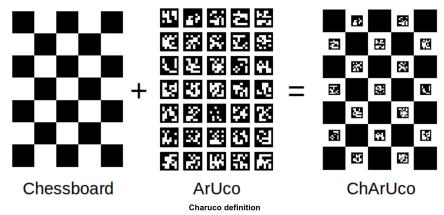


# Markers example from real-world



#### ChArUco board for calibration

- Combines accuracy of pattern with detections of ArUco
- Partial visibility detections



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#### Camera matrix estimation with boards

- We can estimate camera matrix from correspondences in image space and spatial space
  - collect images of the board from different views
  - detect boards
  - compute correspondences between image points and board frame points
  - \_, K, dist\_coeffs, rvecs, tvecs = cv2.calibrateCamera( obj\_points, img\_points, img\_shape)
- ► In addition we get
  - distortion coefficients that compensates defects of objective

```
Knew, roi = cv.getOptimalNewCameraMatrix(K, dist_coeffs,
    img_shape, 1, img_shape)
img_undistorted = cv.undistort(img, K, dist_coeffs, None, Knew)
```

- $\triangleright$  SE(3) poses of boards in camera frame

# Pose estimation from RGB(D)

- Pose estimation methods
  - use prior knowledge about the task, e.g. fixed height objects on a plane
  - use prior knowledge about the objects (size)
  - use depth sensor
  - use ArUco markers
- ▶ Where is robot?
  - homography estimates poses of objects w.r.t. plane frame
  - other methods estimate poses in camera frame
  - we need to estimate/calibrate T<sub>RC</sub>

### **Summary**

- ► Image representation
- ► Projection to/from image
- Segmentation in image space
- Homography
- ▶ Pose estimation from image
- Camera calibration

### **Laboratory**

- No new homework this week
- ► Homography estimation in OpenCV
- Camera calibration in OpenCV

#### What is next?

- ► No lecture/exercise next week
- In two weaks, we will start with test
  - Questions from first three lectures
  - ► SE2 and SE3 transformations and properties
  - Forward kinematics and DH notation
  - Jacobian, its properties, and usage